Break Risk by Simon Smith and Allan Timmermann

Discussion by Nancy Xu

Columbia / Boston College

May 24, 2018

Objective

 Propose a new approach to forecasting stock returns in the presence of structural breaks that simultaneously affect the parameters of multiple portfolios (and thus the market portfolio).

Objective

 Propose a new approach to forecasting stock returns in the presence of structural breaks that simultaneously affect the parameters of multiple portfolios (and thus the market portfolio).

$$r_t = a + bX_{t-1} + \epsilon_t$$

 Stock return predictability literature focuses on ways to improve forecasting

$$r_t = a + bX_{t-1} + \epsilon_t$$

1. X_{t-1} Establishing return predictors

long literature

 Stock return predictability literature focuses on ways to improve forecasting

$$r_t = a + bX_{t-1} + \epsilon_t$$

- 1. X_{t-1} Establishing return predictors
- 2. **b** Studying parameter (in)stability

long literature

growing literature!

 Stock return predictability literature focuses on ways to improve forecasting

$$r_t = a + bX_{t-1} + \epsilon_t$$

- 1. X_{t-1} Establishing return predictors
- 2. **b** Studying parameter (in)stability

long literature

growing literature! ←

$$r_t = a + bX_{t-1} + \epsilon_t$$

- 1. X_{t-1} Establishing return predictors long literature
- 2. b Studying parameter (in)stability growing literature! \leftarrow
- Why can forecasting models be instable?

$$r_t = a + bX_{t-1} + \epsilon_t$$

- 1. X_{t-1} Establishing return predictors long literature
- 2. b Studying parameter (in)stability growing literature!
- Why can forecasting models be instable?
 - ⇒ Left-hand-side: Self-destruction after publication. For example, McLean and Pontiff (2016) find that abnormal returns tend to disappear after they have become public knowledge.

$$r_t = a + bX_{t-1} + \epsilon_t$$

- 1. X_{t-1} Establishing return predictors long literature
- 2. b Studying parameter (in)stability growing literature!
- Why can forecasting models be instable?
 - ⇒ Left-hand-side: Self-destruction after publication. For example, McLean and Pontiff (2016) find that abnormal returns tend to disappear after they have become public knowledge.
 - ⇒ Right-hand-side: Shifts in institutions, regulations, and public policy
 → shifts in the information content of the predictor variables → shifts in predictor coefficients.

$$r_t = a + bX_{t-1} + \epsilon_t$$

- 1. X_{t-1} Establishing return predictors long literature
- 2. b Studying parameter (in)stability growing literature!
- Why can forecasting models be instable?
 - ⇒ Left-hand-side: Self-destruction after publication. For example, McLean and Pontiff (2016) find that abnormal returns tend to disappear after they have become public knowledge.
 - ⇒ Right-hand-side: Shifts in institutions, regulations, and public policy
 → shifts in the information content of the predictor variables → shifts in predictor coefficients.
- Nevertheless, modeling dynamics in parameters is difficult ←

Addressing statistical challenges

- ▶ Lettau and Van Nieuwerburgh (2008) point out two challenges:
 - 1. Slow detection of breaks in real time

- This paper addresses both concerns by:
 - 1. Exploiting information in the cross-section of stock returns (Smith and Timmermann (2017a))

Addressing statistical challenges

- ▶ Lettau and Van Nieuwerburgh (2008) point out two challenges:
 - 1. Slow detection of breaks in real time
 - 2. Imprecise model estimates shortly before and after breaks
- ► This paper addresses both concerns by:
 - 1. Exploiting information in the cross-section of stock returns (Smith and Timmermann (2017a))
 - 2. Adopting a Bayesian econometric breakpoint approach (Chib (1998))

 This paper proposes estimating the breaks by pooling the information from the cross-section.

- ► This paper proposes estimating the breaks by pooling the information from the cross-section.
- ▶ The timing of breaks is relatively homogenous across portfolios.

- ► This paper proposes estimating the breaks by pooling the information from the cross-section.
- ► The timing of breaks is relatively homogenous across portfolios.
 - ⇒ The rationale: if the predictive power of a predictor on the aggregate stock market portfolio decreases, we expect to find a similar effect on industry portfolios at approximately the same time.

- ► This paper proposes estimating the breaks by pooling the information from the cross-section.
- ▶ The timing of breaks is relatively homogenous across portfolios.
 - ⇒ The rationale: if the predictive power of a predictor on the aggregate stock market portfolio decreases, we expect to find a similar effect on industry portfolios at approximately the same time.
- Namely, pooled breaks with portfolio-specific parameters:

$$r_{it} = \mu_{ik} + \beta_{ik} X_{t-1} + \varepsilon_{it}$$
 (1)

- \Rightarrow Industry portfolios: i = 1, ..., N
- \Rightarrow Months in Regime k: $t = \tau_{k-1} + 1, ..., \tau_k$
- \Rightarrow Regimes: k = 1, ..., K
- \Rightarrow Shock assumption: $\varepsilon_{it} \sim N(0, \sigma_{ik}^2)$

Data and estimation

- Main predictor: lagged dividend-price ratio
- ▶ 30 industry portfolios (FF)
- ► Monthly returns, 1926-2015
- ▶ MLE + Bayesian

Comments

Ambitious project in an important and growing research area

- 1. Review of main results Time Series
- 2. Review of main results Cross Section
- 3. Economic interpretations of the filtered breaks
- 4. Link to current theories

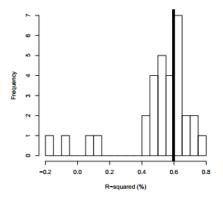


Figure: Figure 8(c) of Smith and Timmermann (2018)

- $ightharpoonup R_{OOS}^2$ is larger than what we normally expect (Campbell and Thompson (2008), Goyal and Welch (2008)) for monthly prediction
 - ⇒ Explain better the source, is it driven by a specific break identified?

- $ightharpoonup R_{OOS}^2$ is larger than what we normally expect (Campbell and Thompson (2008), Goyal and Welch (2008)) for monthly prediction
 - ⇒ Explain better the source, is it driven by a specific break identified?
- Dividend-price ratio, an annual predictor (Shilller (1984), Goyal and Welch (2003, 2008), Ang and Bekaert (2007), Golez and Koudijs, 2017)
 - ⇒ Do your results hold considering annual forecasting models?
 - Or daily

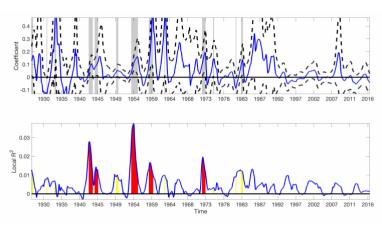


Figure 1: Local return predictability from the dividend yield. The top panel in this figure plots non-parametric kernel estimates of the local slope coefficient from a regression of daily excess stock returns on the lagged dividend yield. Dashed lines represents plus or minus two standard error bands. The bottom panel plots the local \overline{R}^2 measure with shaded areas tracking periods identified as pockets of return predictability using a 5% critical value. The shaded areas represent the integrated \overline{R}^2 inside pockets with areas colored in red representing pockets that have less than a 5% chance of being spurious, areas colored in orange representing pockets that have between a 5% and a 10% chance of being spurious, and areas colored in yellow representing pockets that have more than 10% chance of being spurious.

Figure: Farmer, Schmidt and Timmermann (2018, SSRN)

▶ Break Risk = $|r_{with} - r_{without}|$, $\forall i, t$

- ▶ Break Risk = $|r_{with} r_{without}|$, $\forall i, t$
- Portfolios whose excess returns are more sensitive to breaks earn significantly higher average returns than firms with lower break exposure (after controlling for FF3F)

Portfolio	r	α
Low	0.26	-0.18
	(1.98)	(-2.04)
2	0.32	-0.06
	(2.19)	(-1.99)
3	0.44	-0.01
	(2.25)	(-1.60)
4	0.46	0.02
	(1.98)	(1.01)
High	0.53	0.17
	(2.58)	(2.04)
High-low	0.27	0.35
	(2.18)	(2.97)

Figure: Table 6 of Smith and Timmermann (2018)

- ▶ Break Risk = $|r_{with} r_{without}|$, $\forall i, t$
- ► Portfolios whose excess returns are more sensitive to breaks earn significantly higher average returns than firms with lower break exposure (after controlling for FF3F)

- ▶ Break Risk = $|r_{with} r_{without}|$, $\forall i, t$
- Portfolios whose excess returns are more sensitive to breaks earn significantly higher average returns than firms with lower break exposure (after controlling for FF3F)

- ▶ The break risk explains part of the risk premium
 - ⇒ Why absolute value? There is a literature documenting that upside and downside variance risks are differently priced; or variance risk vs. skewness risk (e.g., Chang, Christoffersen and Jacobs, 2013, JFE)

- ▶ Break Risk = $|r_{with} r_{without}|$, $\forall i, t$
- Portfolios whose excess returns are more sensitive to breaks earn significantly higher average returns than firms with lower break exposure (after controlling for FF3F)

- ▶ The break risk explains part of the risk premium
 - ⇒ Why absolute value? There is a literature documenting that upside and downside variance risks are differently priced; or variance risk vs. skewness risk (e.g., Chang, Christoffersen and Jacobs, 2013, JFE)
- One possibility is that breaks identified here coincide with priced economic or financial shocks
 - ⇒ Need more discussions on the interpretations of breaks in this paper (e.g., thinking about the recent predictor PCA literature...)

- 10 breaks
- ▶ Stronger predictability over market returns after the early seventies

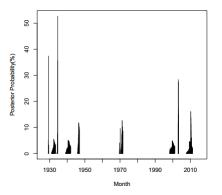


Figure: Figure 13(a) of Smith and Timmermann (2018)

- ▶ 10 breaks
- ▶ Stronger predictability over market returns after the early seventies

- ▶ 10 breaks
- ► Stronger predictability over market returns after the early seventies
- ▶ Robustness ⇒ Multivariate predictive models? Subsamples?

- ▶ 10 breaks
- ► Stronger predictability over market returns after the early seventies
- ▶ Robustness ⇒ Multivariate predictive models? Subsamples?
- ► Upward trend ⇒ Conflicting with the publication / self-destruction story earlier? See some of my findings:



(Andrew Chen and Nancy Xu in prep.)

Can these interesting statistical findings provide testable hypothesis for theoretical models?

► Extant workhorse models have difficulty generating dynamics in predictive coefficients ⇒ However, this paper suggests that allowing dynamics in parameters is more realistic and accurate.

- ► Extant workhorse models have difficulty generating dynamics in predictive coefficients ⇒ However, this paper suggests that allowing dynamics in parameters is more realistic and accurate.
- $r_t = a + bX_{t-1} + \epsilon_t$

- ► Extant workhorse models have difficulty generating dynamics in predictive coefficients ⇒ However, this paper suggests that allowing dynamics in parameters is more realistic and accurate.
- $r_t = a + bX_{t-1} + \epsilon_t$
- $r_t = a + bX_{t-1} + \epsilon_t$
- ► On the other hand, we can "re-scale" these variables to incorporate **non-linearity** through model state variables.
 - ⇒ For example, long-run risk, disaster and habit formation models and their recent variants (e.g., Kilic and Shaliastovich (2018); Wachter (2013); Bekaert, Engstrom and Xu (2018))

- ► Extant workhorse models have difficulty generating dynamics in predictive coefficients ⇒ However, this paper suggests that allowing dynamics in parameters is more realistic and accurate.
- $ightharpoonup r_t = a + bX_{t-1} + \epsilon_t$
- $r_t = a + bX_{t-1} + \epsilon_t$
- ► On the other hand, we can "re-scale" these variables to incorporate **non-linearity** through model state variables.
 - ⇒ For example, long-run risk, disaster and habit formation models and their recent variants (e.g., Kilic and Shaliastovich (2018); Wachter (2013); Bekaert, Engstrom and Xu (2018))

 HARD TO DISENTANGLE...

Conclusion

Important question! New angle (of identifying market-wide breaks)! Well execution!

Conclusion

- Important question!
 New angle (of identifying market-wide breaks)!
 Well execution!
- ▶ To make it more convincing:
 - 1. Time series result: choice of horizon?
 - 2. Cross section results: construct of "break risk"
 - 3. Economic interpretations / Link to theories

Thank You!